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FORMING RESERVED OUTPUT SIGNAL OF AN ATOMIC CLOCK ENSEMLE

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Modern atomic clock ensemble etalons are required to produce continuous output signal

- ✓ long continuous measurements
- critical applications: communication with space stations, etc.

Requirements to reserving system:

- ✓ Failure of certain atomic clock must not lead to phase/frequency jumps of the output signal
- \checkmark Designed system is desired to be full-automatic
- ✓ It is attractive to get physical signal possessing frequency stability of ensemble weighted average



Standard approach to output signal reserving





Standard approach to output signal reserving

Disadvantages:

- Long time for input signal analysis and commutation
 Unavoidable phase/frequency shift during commutation
 System complexity
- System complexity



Scheme for output signal reserving in atomic clock ensemble



Advantages:

- Fast detection and program detaching of failure signal
 No phase/frequency shifts due to attaching/detaching input signals
- ✓ Can be realized in one device and reserved additionally
 ✓ Frequency stability of output signal can be improved (it can be better than the stability of the best reference standard)



PID-control algorithm for frequency stabilization

$$DAC_{n+1} = DAC_n + \Delta - k^i y_n - k^p (y_n - y_{n-1}) - k^d (y_n - 2y_{n-1} + y_{n-2})$$

$$y_n = \frac{1}{\tau} (x_n - x_{n-1}) - \text{relative frequency difference}$$

$$\Delta - \text{programmed frequency offset} \quad \text{Loop sample time } \tau = 10 \text{ ms}$$

$$k^i, k^p, k^d \text{ are optimized} \quad \text{Introduced phase noise} \text{ and AVAR are minimized}$$

$$Output \text{ frequency calculation}$$

$$f_{\text{out}} = \delta + \nu t + \sum_{n=1}^{N} w_n^N f_n$$

n=1







Output signal frequency instability is minimized for single averaging time only! **Possible solutions:**

Virtual atomic time scale + control of auxiliary oscillator
 2) Multi-scale control



One-time-scale control algorithm:

$$\Delta U_k = -\sum_{n=1}^N w_n^S y_n^S$$

Two-time-scale control algorithm:

$$\Delta U_{k} = -\sum_{n=1}^{N} w_{n}^{S} \left(y_{n}^{S} - \sum_{m=1}^{N} w_{m}^{L} \left(y_{n}^{L} - y_{m}^{L} \right) \right)$$

Addition long averaging time estimation of frequency differences is required



$$\Delta U_k = -\sum_{n=1}^N w_n^S \left(y_n^S - \sum_{m=1}^N w_m^L \left(y_n^L - y_m^L \right) \right)$$

Weights estimation for two-scale frequency control:

Short time:

$$w_n^S = \frac{\sigma_n^{-2}(\tau^S)}{\sum\limits_{k=1}^N \sigma_k^{-2}(\tau^S)}$$

Long time:



Estimation of frequency stability of reference signals is needed



Modeling

Two types of reference signals: 4 + 4









Summary

 Atomic clock combiner system seems to be effective for output signal reserving (fast detection and exclusion of invalid reference signals, no phase/frequency jumps)

✓ Simple modification of the algorithm allows to obtain output signal frequency stability better than the best input signal has for all τ



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